

Diastolic Calcium Release Controls the Beating Rate of Rabbit Sinoatrial Node Cells: Numerical Modeling of the Coupling Process

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ABSTRACT Recent studies employing Ca^{2+} indicators and confocal microscopy demonstrate substantial local Ca^{2+} release beneath the cell plasma membrane (subspace) of sinoatrial node cells (SANCs) occurring during diastolic depolarization. Pharmacological and biophysical experiments have suggested that the released Ca^{2+} interacts with the plasma membrane via the ion current (I_{NaCa}) produced by the $\text{Na}^+/\text{Ca}^{2+}$ exchanger and constitutes an important determinant of the pacemaker rate. This study provides a numerical validation of the functional importance of diastolic Ca^{2+} release for rate control. The subspace Ca^{2+} signals in rabbit SANCs were measured by laser confocal microscopy, averaged, and calibrated. The time course of the subspace $[\text{Ca}^{2+}]$ displayed both diastolic and systolic components. The diastolic component was mainly due to the local Ca^{2+} releases; it was numerically approximated and incorporated into a SANC cellular electrophysiology model. The model predicts that the diastolic Ca^{2+} release strongly interacts with plasma membrane via I_{NaCa} and thus controls the phase of the action potential upstroke and ultimately the final action potential rate.

INTRODUCTION

Recent studies employing Ca^{2+} indicators together with confocal microscopy demonstrate substantial cyclic intracellular Ca^{2+} changes beneath the cell plasma membrane of sinoatrial node cells (SANCs) (Bogdanov et al., 2001; Vinogradova et al., 2002). Pharmacological and biophysical experiments have suggested that those cyclic variations of submembrane Ca^{2+} are an important determinant of the pacemaker firing rate, and thus represent a critical factor determining pacemaker cell dominance, as well as for achieving the maximum possible chronotropic effect under hormonal stimulation of the heart (Lakatta et al., 2003). An important experimental finding was that part of the cyclic Ca^{2+} release occurs in the form of localized events during diastolic depolarization (CRDD). The spontaneous (voltage-independent) nature of the diastolic release has been recently demonstrated in voltage-clamp experiments and in experiments in saponin-permeabilized SANCs (Vinogradova et al., 2004). It was suggested that CRDD could accelerate the diastolic depolarization (DD) via inward current (I_{NaCa}) produced by $\text{Na}^+/\text{Ca}^{2+}$ exchanger (NCX) and thus control the SANC rate.

Until recently numerical SANC models available in the literature have not considered local $[\text{Ca}^{2+}]$ changes. Accordingly, they were unable to reproduce many recent experimental findings such as chronotropic effects of intracellular Ca^{2+} buffering and sarcoplasmic reticulum (SR) function modulation. The role of $[\text{Ca}^{2+}]$ changes in the submembrane space has been introduced in a new SANC

model by Kurata et al. (2002). In contrast to previous SANC models, this model can reproduce some Ca^{2+} -related phenomena including different effects of BAPTA and EGTA on the SANC beating rate. However, the model still cannot explain many experimental findings such as spontaneous Ca^{2+} release during DD and the chronotropic effect of blocking SR calcium release with ryanodine (Bogdanov et al., 2001; Li et al., 1997; Rigg and Terrar, 1996). Furthermore, quantitative intracellular Ca^{2+} concentrations ($[\text{Ca}^{2+}]$) in the subspace of SANCs have not previously been measured. The aim of this study was to measure $[\text{Ca}^{2+}]$ and to characterize the diastolic part of the Ca^{2+} release in the subspace so that it could be approximated numerically and included in a new primary pacemaker cell model to provide numerical validation to the implied functional importance of the cyclic spontaneous Ca^{2+} release during DD for the SANC pacemaker function.

MATERIALS AND METHODS

Sinus node cell preparations and electrophysiological recordings

Single sinoatrial nodal cells were isolated from rabbit hearts as previously described (Vinogradova et al., 2000). We studied spindle-shaped sinoatrial nodal cells that exhibited spontaneous contractions in normal Tyrode solution containing 1.8 mM Ca^{2+} . Perforated patch-clamp technique with 50 μM β -escin (Fan and Palade, 1998) added to the pipette solution was employed to record spontaneous action potentials (AP) with an Axopatch-200 B patch-clamp amplifier (Axon Instruments, Foster City, CA). The bath solution had the following composition (in mM): NaCl, 140; KCl, 5.4; MgCl_2 , 1; HEPES, 5; CaCl_2 , 1.8; Glucose, 5.5; pH, 7.4. The pipette solution contained (in mM): K-gluconate, 120; NaCl, 10; MgATP, 5; HEPES, 5; KCl, 20; pH, 7.2. The bath temperature was maintained at $35^\circ \pm 0.5^\circ\text{C}$.

Confocal Ca^{2+} imaging

Cells were placed on the stage of a Zeiss LSM-410 inverted confocal microscope (Carl Zeiss, Mannheim, Germany) and loaded for 15 min with

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20 μM fluo-3 AM. Cellular fluo-3 fluorescence was recorded either in x - y (two-dimensional) or line-scan mode. In the line-scan mode the lines are plotted every 2–5 ms, and each line is added to the right of the preceding line to form the line-scan image. Image processing was performed with IDL software (Ver. 5.2, Research Systems, Boulder, CO). To identify and measure local CRDD, custom software was employed which selected them on the basis of their statistical deviation from the background noise (Cheng et al., 1999).

Ca^{2+} calibration

To identify absolute Ca^{2+} concentrations, the fluo-3 signals were calibrated using a procedure that was a modification of that we previously reported (Maltsev et al., 1994). In short, absolute $[\text{Ca}^{2+}]$ was calculated using a well-known equation (see e.g., Grynkiewicz et al., 1985),

$$[\text{Ca}^{2+}] = K_d \times (F - F_{\min}) / (F_{\max} - F),$$

where K_d is the dissociation constant for Ca^{2+} -bound fluo-3 and is 864 nM at 37°C (Merritt et al., 1990). Maximum and minimum fluorescence (F_{\max} and F_{\min}) were determined offline in the images using the MetaMorph Imaging System (Universal Imaging, Downingtown, PA). Ca^{2+} ionophores such as ionomycin or 4-bromo A-23187 are usually used to obtain F_{\max} . However, in SANCs, with the bath $[\text{Ca}^{2+}]$ being 1.8 mM, we found that application of 5 μM ionomycin to the bath solution did not saturate fluo-3 with Ca^{2+} . To reach the saturation, the bath $[\text{Ca}^{2+}]$ was increased to 10 mM. F_{\min} was calculated as described previously by Kao et al. (1989), taking into account that metal-free fluo-3 has 1/40 the fluorescence of the Ca^{2+} complex. Therefore,

$$F_{\min} = (F_{\max} - F_{\text{bkg}}) / 40 + F_{\text{bkg}},$$

where F_{bkg} was background cell fluorescence (autofluorescence) measured after cell lysis by digitonin (30 μM) in the presence of 10 mM EGTA and no Ca^{2+} .

We used the x - y scans instead of the line-scan images for Ca^{2+} calibration to precisely monitor the subspace signals. When maximum fluorescence signal F_{\max} was measured, ionomycin strongly increased intracellular $[\text{Ca}^{2+}]$ which, in turn, slightly changed the cell shape. With this change, in the line-scan mode it is difficult to maintain the precise close relative position (within 1–2 μm) of the scanning line with respect to the cell membrane. In other words, during calibration the scan line tends to miss the subspace and the signal becomes lost. The x - y scans obviously avoid this problem, inasmuch as the Ca^{2+} signals in subspace can be relatively easily identified and measured during the calibration.

Materials

All substances for Ca^{2+} calibration and for pipette and bath solutions were from Sigma (St. Louis, MO). Fluo-3-AM was purchased from Molecular Probes (Eugene, OR).

Computer simulations

Computer modeling studies were performed using Delphi-7 (Borland, Scotts Valley, CA) software. To model SANC electrophysiology we modified a recently published model of the primary pacemaker cell (Kurata et al., 2002) to include a phenomenological representation of CRDD, as described below. We received the original model text directly from Dr. Kurata.

RESULTS

The two phases of Ca^{2+} changes in the subspace

To illustrate the need for special consideration of Ca^{2+} signals in the subspace due to the inhomogeneity of Ca^{2+} changes within the cell, we oriented the scan line across the cell so that it crossed the longitudinal axis of the cell at approximately one-half of the cell depth (Fig. 1). It is clearly seen that during DD Ca^{2+} changes first occur in the subspace. We have previously shown that these Ca^{2+} changes are mainly contributed by local Ca^{2+} releases (Bogdanov et al., 2001; Vinogradova et al., 2002). The releases (shown by arrows) either terminate locally in the subspace or spread/propagate relatively slowly toward the cell center, inasmuch as SANCs lack t -tubules. The second part of the Ca^{2+} change, the systolic phase, comes simultaneously with the AP upstroke and occurs both in the subspace and in the cell center.

Averaged Ca^{2+} signals in the subspace

To dissect the Ca^{2+} changes in subspace and to improve the signal/noise ratio, the details of the Ca^{2+} signals were further studied with the scanned line oriented along the longitudinal axis of the cell close to the plasma membrane. Examples of the line-scan images together with respective local Ca^{2+} signals in the subspace are shown in Fig. 2. The SANC model developed in the study describes the subspace $[\text{Ca}^{2+}]$

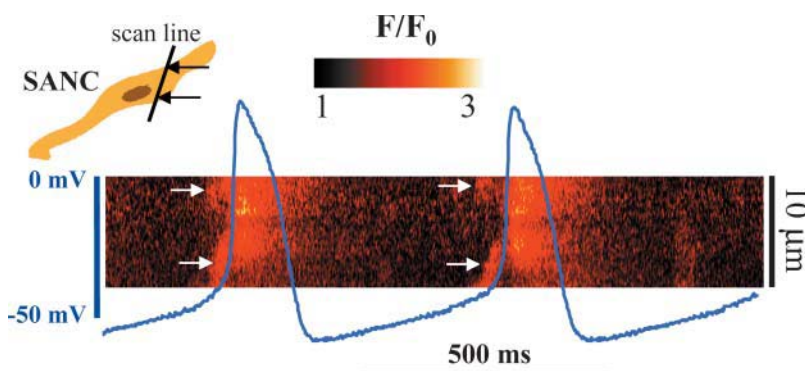


FIGURE 1 Ca^{2+} signals across the cells as identified by line-scanning confocal microscopy. The scan line was oriented across the cell so that it crossed the longitudinal axis of the cell at approximately one-half of the cell depth (inset). Arrows on the confocal image show local Ca^{2+} releases in the submembrane space during diastolic depolarization. The blue line shows simultaneous recording of the membrane potential measured by the perforated patch-clamp technique.

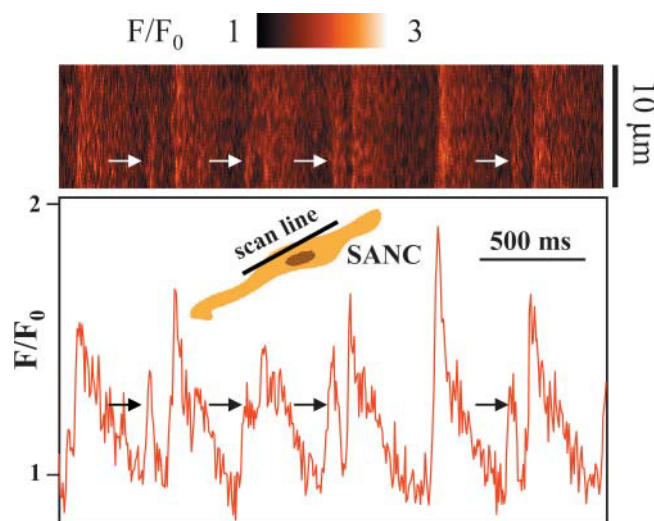


FIGURE 2 Ca^{2+} signaling identified by confocal line-scan imaging of SANCs in a subsarcolemmal space. The scanned line was oriented along to the longitudinal axis of the cell close to the plasma membrane (inset). The diastolic Ca^{2+} releases are indicated by arrows on the image. The respective trace of the average Ca^{2+} signal (in F/F_0 scale) processed from the whole image width is shown on the bottom panel.

by a single variable, Ca_{sub} . On the other hand, the Ca^{2+} releases and related Ca^{2+} changes in the subspace occur as local stochastic events. To avoid the stochastic-related noise and to approximate Ca_{sub} for the SANC model, we averaged the local Ca^{2+} signals using a custom-made computer program. Spatial inhomogeneity was found to have negligible effect on the contribution of CRDD to whole-cell cellular electrophysiology, as discussed in detail in the Appendix. The SANC membrane almost instantly integrates any change in local electrical charge throughout its length. For example, for distances up to 100 μm , it needs <0.1 ms for almost complete charge integration by the cell capacitance. Thus, for determining membrane potential (V_m) changes, the spatial complexity of the diastolic Ca_{sub} changes does not seem to be important. Our computer program splits experimental raw Ca_{sub} traces into fragments and then averages them for further numeric approximation. Each fragment consists of two cycles identified by their peak positions. To avoid the phase shift due to various cycle lengths, we assign the same phase as $t = 0$ for the moment of maximum peak in the middle of the fragment. Fig. 3 shows Ca_{sub} signals recorded from four cells along with their respective averages, which reveal a characteristic bump-and-spike morphology reflecting the diastolic and systolic components (marked by D and S in Fig. 3), respectively. In the absence of hormonal stimulation, the amplitude of the average diastolic Ca^{2+} component varied from 23% to 30% of the systolic component ($26.3 \pm 1.75\%$, mean \pm SE, $n = 4$). The duration of the diastolic Ca^{2+} component varied from 69 ms to 160 ms (100 ± 24 ms), remaining $\sim 18\%$ of the total cycle length ($18.0 \pm 1.2\%$, $n = 4$).

Measurements of systolic and diastolic absolute Ca^{2+} levels

In addition to the Ca^{2+} signal shape, another important characteristic of our SANC model with the new diastolic Ca^{2+} component is a correct range of absolute $[\text{Ca}^{2+}]$ changes in the subspace. In this study we determined the systolic and diastolic absolute $[\text{Ca}^{2+}]$ levels in the subspace by calibrating the respective fluo-3 fluorescence signals. For this purpose, cellular fluo-3 fluorescence was recorded in x - y (two-dimensional) scan mode in a thin cell slice approximately in the middle of the cell height as confirmed by an additional scan image across the cell along the z axis (perpendicularly to the surface of the bath). The systolic and diastolic Ca^{2+} signals were identified on the x - y cell scans by appearance of bright and dark strips of fluo-3 fluorescence, respectively. We measured the signals in areas that were close to the image edge and thus presumed to reflect Ca^{2+} changes in the cell submembrane space. The absolute values of fluo-3 fluorescence were quantified offline using The MetaMorph Imaging System (Universal Imaging Corporation). In this set of Ca^{2+} calibration experiments, we acquired and processed three x - y images for each cell. The collected data were then calibrated using Ca^{2+} ionophore ionomycin (see Materials and Methods for calibration procedure details). We determined absolute $[\text{Ca}^{2+}]$ levels for diastolic and systolic phases in three cells. The average data for systolic and diastolic $[\text{Ca}^{2+}]$ levels were 1363 ± 394 nM and 204 ± 12 nM (mean \pm SD, $n = 3$), respectively.

Approximation of the spontaneous Ca^{2+} release

The importance of the diastolic Ca^{2+} component for the DD phase and the SANC rate was then explored by means of computer modeling. Ca_{sub} changes, which are important for cell membrane potential control, are considered in the most recent SANC model by Kurata et al. (2002) (Fig. 4 A). The model presumes that j_{rel} , Ca^{2+} release flux from the junctional SR to subspace, is described by a simple quadratic function of Ca_{sub} , as

$$j_{\text{rel}} = P_{\text{rel}} \times (Ca_{\text{rel}} - Ca_{\text{sub}}) / [1 + (K_{\text{rel}}/Ca_{\text{sub}})^2], \quad (1)$$

where Ca_{rel} is the Ca^{2+} concentration in the junctional SR, P_{rel} is the rate constant for Ca^{2+} release from the junctional SR, and K_{rel} is the half-maximal Ca_{sub} for Ca^{2+} release from the junctional SR. However, $j_{\text{rel}} = f(Ca_{\text{sub}})$ —i.e., it is an instantaneous relation between j_{rel} and Ca_{sub} that is generally not true. During Ca^{2+} -induced Ca^{2+} release (CICR) the ryanodine receptor (RyR) channels become inactivated, terminating the Ca^{2+} release. Multiple mechanisms have been suggested for the release termination, e.g., via RyR regulation by luminal Ca^{2+} (Gyorke et al., 2002), by time-dependent inactivation and/or thermodynamically irreversible gating of

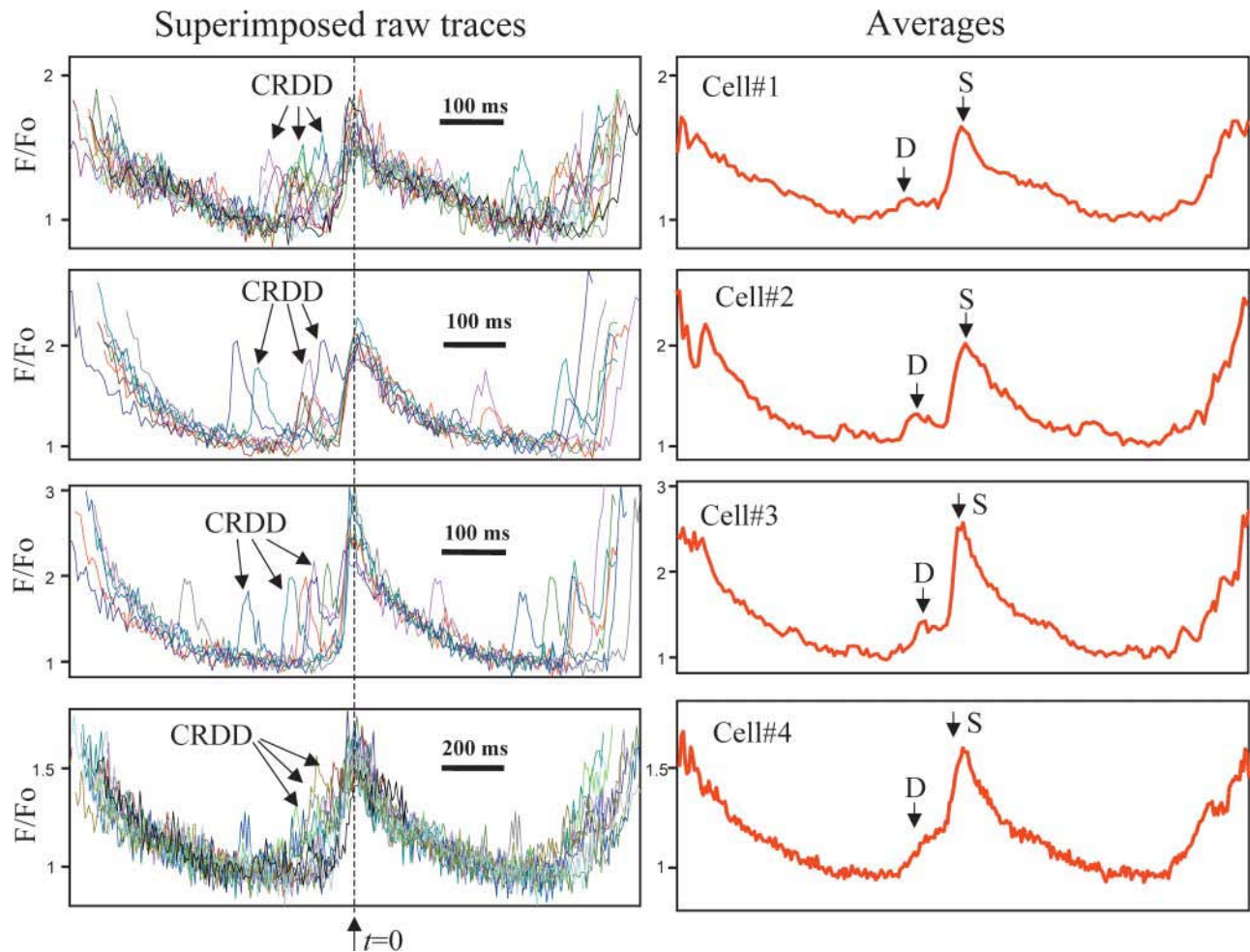


FIGURE 3 The two distinct components of Ca^{2+} signaling in submembrane space: *D*, the diastolic Ca^{2+} release and *S*, the systolic Ca^{2+} release (right panels), as identified by averaging the raw F/F_0 traces (superimposed, left panels) recorded by line-scanning confocal microscopy in four cells. The traces were split into two-cycle fragments by custom-made software and centered, assigning time = 0 for the peak in the middle (see dashed line marked as $t = 0$). Numbers of superimposed traces are 15, 9, 8, and 14 (left panels, from top to bottom).

RyR (Wang et al., 2002), or by a cytosolic Ca^{2+} /calmodulin mechanism (Fruen et al., 2000). Robust CICR termination is the central problem of local Ca^{2+} control of cardiac excitation-contraction coupling (Stern, 1992) and is not solved yet. As the aim of this study was only to demonstrate the importance of the diastolic Ca^{2+} release for the SANC rate, we did not test a particular mechanism for RyR inactivation but rather developed a SANC Ca^{2+} release formulation based on a phenomenological representation. To approximate the experimental pattern of Ca^{2+} signals in the subspace (Fig. 3), we added to the release flux in the model a “spontaneous” Ca^{2+} release component, j_{spont} (Fig. 4 B),

$$j_{\text{spont}} = P_{\text{phase}}(t) \times P_{\text{rel,spont}} \times (Ca_{\text{rel}} - Ca_{\text{sub}}) / [1 + (K_{\text{rel}}/Ca_{\text{sub}})^2]. \quad (2)$$

$P_{\text{rel,spont}}$ is the rate constant for the spontaneous Ca^{2+} release from the junctional SR and it determines the amplitude of the

Ca^{2+} release. In this study we considered a wide range of possible P_{rel} variations from 0.5 ms^{-1} as in the original Kurata et al. (2002) model (this value was misprinted in the original article) up to 10 ms^{-1} . Compared to Eq. 1, we also added the phasic factor (Fig. 4, blue line), which reflects the phase of Ca^{2+} release in the subspace and is described within each SANC cycle by one complete cycle of a cosine function, scaled by 0.5 and shifted by 0.5, that varies between 0 and 1 as

$$P_{\text{phase}}(t) = 0.5 - 0.5 \times \cos[2 \times \pi \times (t - t_{\text{phase}})/t_{\text{width}}] \quad \text{for } t_{\text{phase}} \leq t \leq t_{\text{phase}} + t_{\text{width}} \quad (3)$$

$$P_{\text{phase}}(t) = 0 \quad \text{for } t < t_{\text{phase}} \quad \text{and} \quad t > t_{\text{phase}} + t_{\text{width}}.$$

The variable t is time that is left after the previous Ca^{2+} transient peak. The release phase t_{phase} describes the moment

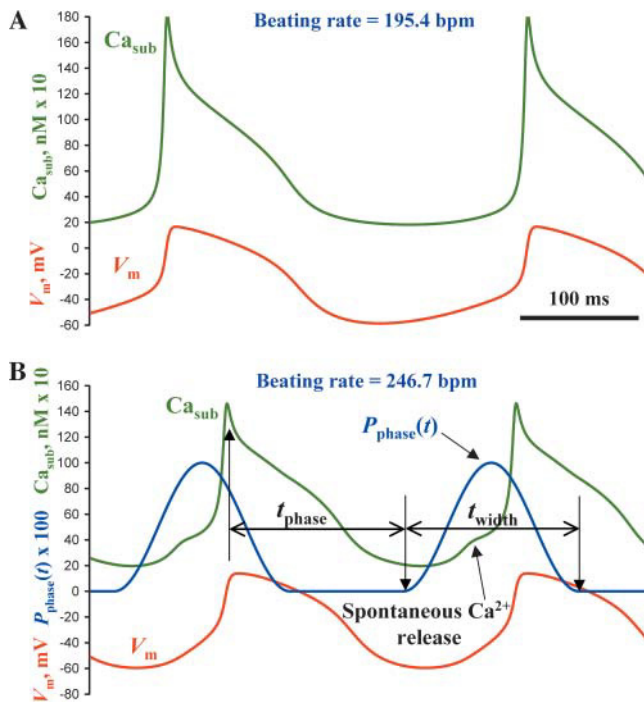


FIGURE 4 Increase in SANC beating rate on introduction of the spontaneous Ca^{2+} release component, j_{spont} , described by Eq. 2 (see text), into the model. (A) Subspace $[\text{Ca}^{2+}]$, Ca_{sub} , and membrane potential, V_m , generated by the original model of Kurata et al. (2002) from Eq. 1. (B) Ca_{sub} and V_m simulations of the same model but with introduced spontaneous Ca^{2+} release. The time course for $P_{\text{phase}}(t)$, described by Eq. 3, is also shown (blue line). The beating rate increased from 195.4 bpm to 246.7 bpm with the introduction of j_{spont} with the following parameters: $P_{\text{rel,spont}} = 5 \text{ ms}^{-1}$, $t_{\text{width}} = 150 \text{ ms}$, and $t_{\text{phase}} = 150 \text{ ms}$.

when the spontaneous release begins. The total duration of the spontaneous Ca^{2+} release is described by t_{width} . The physiological significance of these phenomenological variables is that t_{width} would reflect the half-width of the temporal distribution of the signal mass of CRDDs, whereas the moment $t = t_{\text{phase}} + t_{\text{width}}/2$ would coincide with the maximum spontaneous release phase (when the signal mass from CRDDs reaches its maximum). The cosine function itself does not have any theoretical significance but was chosen as a phenomenological curve to model the Ca^{2+} cycling process in SANCs. The phasic factor, $P_{\text{phase}}(t)$ described by Eq. 3, starts from 0 at the beginning of the spontaneous release phase ($t = t_{\text{phase}}$) and after reaching its peak ($P_{\text{phase}} = 1$) returns to 0. We assume that $P_{\text{phase}}(t) = 0$ before the spontaneous release begins ($t < t_{\text{phase}}$) and after the cycle is over ($t > t_{\text{phase}} + t_{\text{width}}$). It is important to note that our new model is a recursive computer model inasmuch as its variable t is determined for each cycle by the Ca^{2+} release phase generated by the same model on the previous cycle, thereby modeling the “resetting” of SR oscillations by the systolic Ca^{2+} release. The final Ca^{2+} transient incorporating our phenomenological model of the diastolic Ca^{2+} release is close to that which we obtained for the

averaged $[\text{Ca}^{2+}]$ signals in the subspace (compare Fig. 3, Averages, and Fig. 4 B, green line).

Electrophysiological effects of spontaneous Ca^{2+} release

Introduction of the new diastolic spontaneous Ca^{2+} release component (j_{spont} , Eq. 2) into the model resulted in significant increase in the AP firing rate. Fig. 4 shows an example of the strong chronotropic effect produced by the spontaneous Ca^{2+} release. The beating rate increased from 195.4 to 246.7 beats per min (bpm). With this new spontaneous release component, the AP firing rate becomes too high for a SANC in the absence of hormonal stimulation. Also, the maximum systolic $[\text{Ca}^{2+}]$ level decreased from 1815 nM (original model from Kurata et al., 2002) to 1450 nM because the diastolic Ca^{2+} release partially emptied SR before AP upstroke in the new model.

Our version of a SANC model with the diastolic Ca^{2+} release

We adjusted some of the conductances and Ca^{2+} handling parameters in the Kurata et al. (2002) model for the beating rate and the range of $[\text{Ca}^{2+}]$ changes to be in line with experimental data. Our variant of the SANC model (Fig. 5) has the spontaneous Ca^{2+} release given by $P_{\text{rel,spont}} = 2.5 \text{ ms}^{-1}$, $t_{\text{width}} = 150 \text{ ms}$, and $t_{\text{phase}} = 180 \text{ ms}$; and the following ion conductances (in nS/pF): maximum I_{CaL} conductance, $g_{\text{CaL}} = 0.464$; background Na^+ conductance, $g_{\text{bNa}} = 0.00216$; maximum I_{CaT} conductance, $g_{\text{CaT}} = 0.4$; and maximum I_{st} conductance, $g_{\text{st}} = 0.0075$. The assigned conductance values are close to those in the original model and/or to those reported in the literature. Since with these new conductances the minimum diastolic Ca^{2+} level significantly dropped (to $\sim 120 \text{ nM}$), we compensated this effect with a slight decrease of the rate constant for Ca^{2+} uptake by the Ca^{2+} pump in the network SR, $P_{\text{up}} = 0.004 \text{ M/s}$, and we also included the background Ca^{2+} current I_{bCa} with a normalized conductance of $g_{\text{bCa}} = 1.2 \text{ pS/pF}$. This current was incorporated in the previous SANC models to balance the Ca^{2+} extrusion via NCX during diastole but it was assumed to be negligible in the Kurata et al. (2002) model. The adjusted SANC model has a beating rate of 201 bpm and the Ca^{2+} systolic and diastolic levels 1384 nM and 186 nM, respectively, which fit our experimentally measured values well (see above). Other important parameters of the AP cycle produced by the model were: maximum diastolic potential = -63.4 mV ; peak overshoot potential = 12.3 mV ; AP amplitude = 75.7 mV ; maximum $dV_m/dt = 4.2 \text{ V/s}$; Cycle length = 298 ms ; and AP duration at 50% repolarization = 102 ms .

The parameters were basically similar to those of the previously published SANC models as well as those measured experimentally.

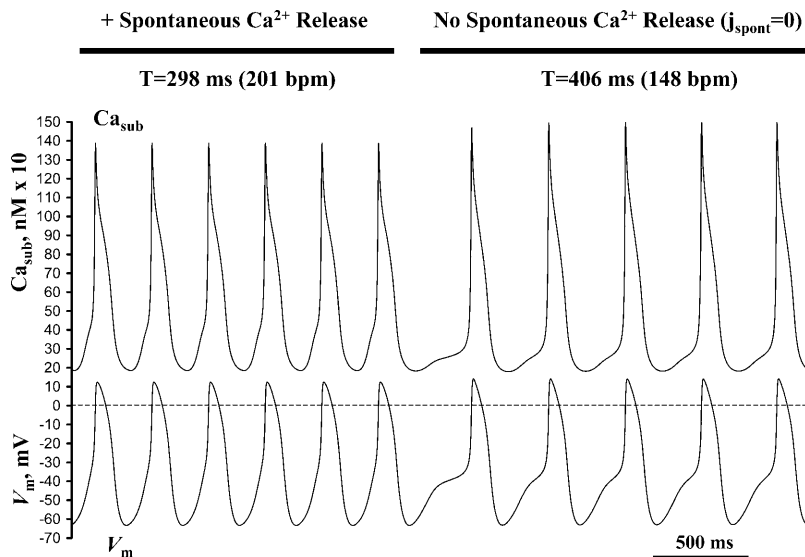


FIGURE 5 Our variant of SANC model with the diastolic Ca^{2+} release and adjusted membrane conductance and Ca^{2+} handling parameters to be in line with experimental data (*left side* marked as + *Spontaneous Ca^{2+} Release*) and its negative chronotropic response on the complete blockade of the spontaneous release ($j_{\text{spont}} = 0$) simulating ryanodine effect. Shown are simulated traces for subpace $[\text{Ca}^{2+}]$, Ca_{sub} , and membrane potential, V_m , changes. For model parameters see text. T is the action potential period; *bpm* is beats per min.

The phase of spontaneous Ca^{2+} release controls the phase of AP upstroke and the firing rate

In this SANC model, the blockade of spontaneous SR release results in an almost instant reduction of AP rate from 201 bpm to 148 bpm (reduction by $\approx 26\%$) that simulates ryanodine effect ($j_{\text{spont}} = 0$, Fig. 5) reported previously (Bogdanov et al., 2001; Vinogradova et al., 2002; Li et al., 1997; Rigg and Terrar, 1996). This substantial ryanodine effect was missing in the two available primary SANC models by Kurata et al. (2002) and by Zhang et al. (2000) (the latter considered intracellular $[\text{Ca}^{2+}] = \text{const}$). To examine the importance of the phase of spontaneous Ca^{2+} release occurrence for AP period (T), we generated a family of plasma membrane responses upon an instant introduction

of the j_{spont} component characterized by various phase, t_{phase} (Fig. 6). We found that the AP upstroke phase closely followed (from 280 ms to 405 ms) the phase of the Ca^{2+} release flux (j_{rel}) in the subpace within a wide range of t_{phase} from 180 ms to 400 ms (see plot T vs. t_{phase} in Fig. 6, *inset*). The next set of simulations shown in Fig. 7 illustrates the model prediction that the phase of Ca^{2+} spontaneous release can control the steady-state beating rate. The ability of the spontaneous Ca^{2+} release to control the SANC beating rate is increased as the amplitude of the release increased (see set of plots in Fig. 7 for various $P_{\text{rel,spont}}$ varying from 0.5 ms^{-1} to 10 ms^{-1}). The control becomes almost saturated for $P_{\text{rel,spont}} > 5 \text{ ms}^{-1}$ (compare plots for $P_{\text{rel,spont}} = 5 \text{ ms}^{-1}$ and $P_{\text{rel,spont}} = 10 \text{ ms}^{-1}$). The control is lost if the spontaneous

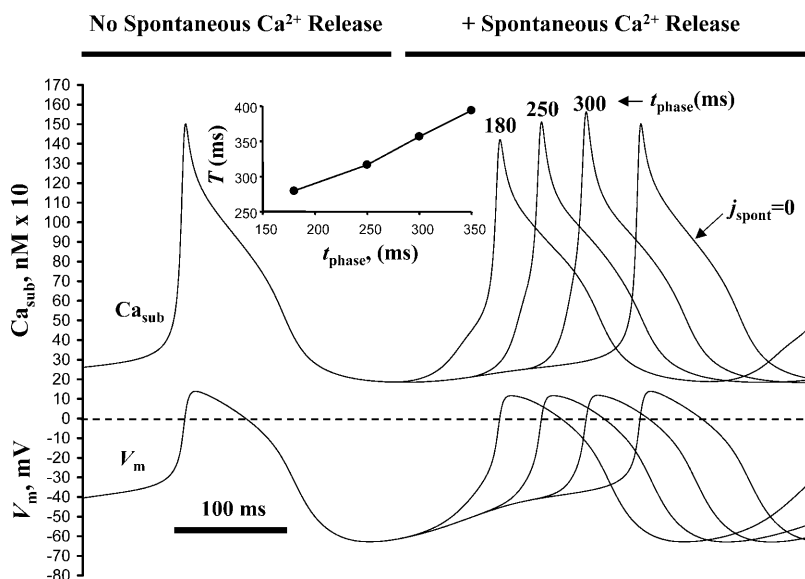


FIGURE 6 The AP upstroke phase follows the phase of spontaneous Ca^{2+} release (t_{phase}) upon introduction of spontaneous Ca^{2+} release into the model. Shown are superimposed simulated traces of $[\text{Ca}^{2+}]$ changes in subpace (Ca_{sub}) along with respective APs generated with varying phase of the diastolic release (t_{phase} , shown at peaks of Ca_{sub} traces). (*Inset*) Plot of the first AP period (T) as a function, t_{phase} .

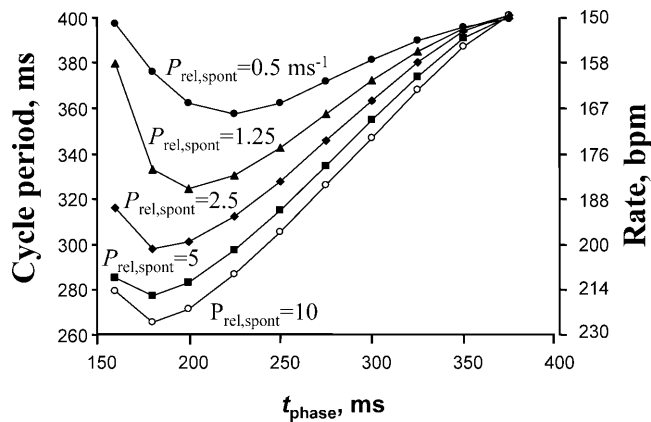


FIGURE 7 The phase and the amplitude of the diastolic Ca^{2+} release control the steady-state rate of AP firing. The family of plots shows relationships of cycle period (or respective SANC rate, right scale) versus the phase of the diastolic release (t_{phase} in Eq. 3) for various Ca^{2+} release amplitude determined by $P_{\text{rel,spont}}$ (in ms^{-1}) in Eq. 2.

release occurs too early ($t_{\text{phase}} < 180$ ms). This happens because the junctional SR is not refilled with Ca^{2+} yet and the corresponding Ca^{2+} release is small. Interestingly, the premature Ca^{2+} release can also result in a cycle span increase. The SR leak (produced by that release) delays normal SR refilling with Ca^{2+} , ultimately resulting in the prolongation of the complete SANC duty cycle.

Since the spontaneous beating rate of isolated rabbit SANCs varies from ~ 2 – 3 Hz, we also explored whether the control of the SANC rate by diastolic release was robust and could be reproduced with various membrane conductance parameter sets simulating cells with various spontaneous activity. The cell model illustrated in Fig. 7 has the range of regulation from 2.5 Hz to 3.8 Hz that covers the upper range of SANC rates. We tested if the regulation is preserved for a SANC that has an overall slower DD. To achieve this, the following parameters were changed compared to the model set illustrated in Fig. 7 (in nS/pF): $g_{\text{CaL}} = 0.58$; $g_{\text{bNa}} = 0.00162$; $g_{\text{CaT}} = 0.229$; $g_{\text{bCa}} = 0.0006$; and maximum current produced by Na^+/K^+ ATPase $I_{\text{NaK,max}} = 4.32$ pA/pF. We found that with $P_{\text{rel,spont}} = 5 \text{ ms}^{-1}$, $P_{\text{up}} = 0.005 \text{ M/s}$, and with t_{phase} varying from 475 ms to 225 ms, this model set generated spontaneous action potentials with the rate from 2.08 Hz to 3.18 Hz, respectively (not shown), covering essentially the entire range of spontaneous rabbit SANC activity.

Another issue related to the ryanodine effect is that ryanodine might affect sarcolemmal ion channels in some experimental conditions. However, the available data are limited and the reported effects were marginal and somewhat contradictory. In one report by Satoh (1997), ryanodine in a relatively high concentration of $10 \mu\text{M}$ produced a 45% decrease of hyperpolarization-activated current (I_{f}) at -90 mV, whereas others reported no significant ryanodine effect on I_{f} (Li et al., 1997). Satoh (1997) also observed a 10%

increase of I_{CaL} with $1 \mu\text{M}$ ryanodine and 8% decrease with $10 \mu\text{M}$ ryanodine, whereas others found no significant effect of ryanodine on I_{CaL} (Li et al., 1997; Bogdanov et al., 2001). In the same report, the delayed rectifier K^+ current (I_{K}) was decreased by 6% and by 26% at $1 \mu\text{M}$ and $10 \mu\text{M}$ of ryanodine, respectively. In another report by Li et al. (1997), ryanodine ($10 \mu\text{M}$) slightly decreased I_{CaT} by $\sim 17\%$ in cultured pacemaker cells with no effect on the "background" inward current (I_{bg}) (Li et al., 1997). The authors did not separate whether the reported I_{CaT} change was due to $[\text{Ca}^{2+}]$ or a direct effect of ryanodine on T-type Ca^{2+} channels. We examined the effect of these "extreme" reductions of I_{CaT} (by 17%) and I_{K} ($I_{\text{Kr}} + I_{\text{Ks}}$) (by 26%) and found that they resulted in minor AP rate decreases of $\sim 5\%$ and 4% , respectively (or 10%, if combined). Although the I_{CaT} and I_{K} changes modulate the AP rate in the very limited range, the diastolic Ca^{2+} release controls the rate in a wide range from 150 to 226 bpm (Fig. 7) that corresponds to the rate reductions up to 34% when the release is blocked or reduced. Thus it appears that any direct effect of ryanodine on sarcolemmal currents is a minor issue.

The key role of NCX in transduction of Ca_{sub} signals to the plasma membrane

The steady-state beating rate reflects the change in the phase of AP upstroke in each cycle. An important question is what is the mechanism of the AP upstroke phase change? The missing link in the mechanism is obviously a plasma membrane ion current(s) that would connect subspace Ca^{2+} changes with plasma membrane potential. The SANC model used in this study has only two ion current components, which are Ca^{2+} -dependent—namely I_{CaL} inactivation and I_{NaCa} . Occurrence of CRDD are associated with inward current produced by NCX (Bogdanov et al., 2001) and thus can explain the chronotropic effects of the Ca^{2+} release phase change. On the other hand, Ca^{2+} -dependent I_{CaL} inactivation cannot provide the link in the observed effects, inasmuch as the opposite effect is expected. Increase in Ca_{sub} would inactivate the Ca^{2+} channels and thus decrease the whole cell (inward) I_{CaL} . Also, I_{CaL} is very small during the initial part of DD as the pacemaker potential starts below the level of the Ca^{2+} channel activation threshold. Other Ca^{2+} -dependent mechanisms of I_{CaL} regulation, such as modulation of I_{CaL} inactivation and reactivation by CaMKII (Vinogradova et al., 2000), merit examination in future studies.

Fig. 8 A shows a complete AP cycle together with simulated ion currents that have inward direction during DD. It is clearly seen that I_{NaCa} remains the predominant source of membrane depolarization during DD until its very late phase. Compared to other currents during DD, it is always at least two times larger than I_{CaT} and three times larger than I_{f} . The only current that becomes equal to I_{NaCa} is I_{CaL} , when the

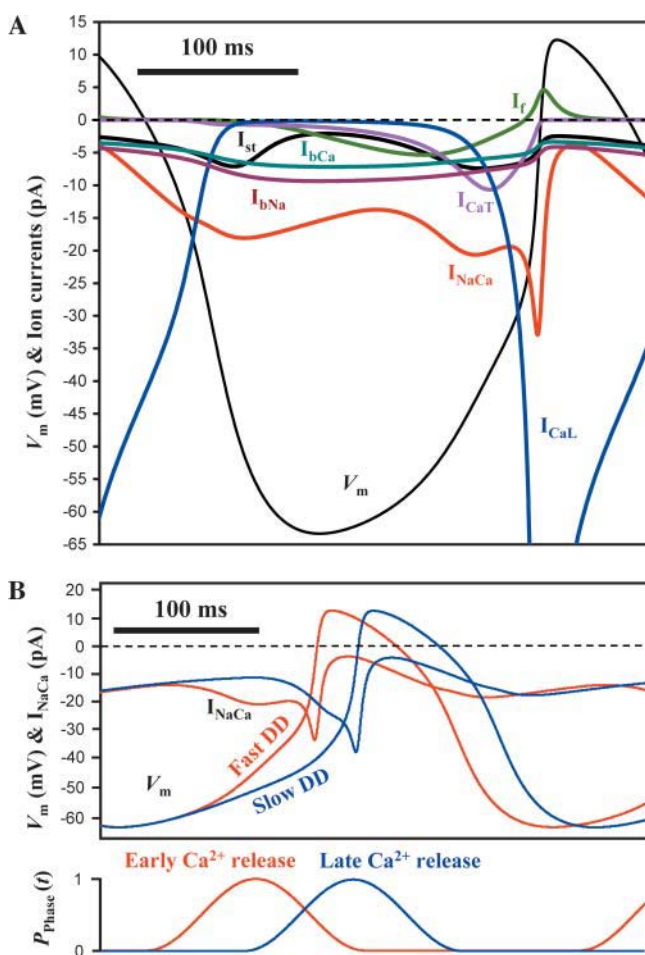


FIGURE 8 NCX transmits Ca^{2+} signals to the plasma membrane. (A) Complete AP cycle (V_m) along with simulated ion currents that have inward direction during diastolic depolarization (DD), namely, current produced by the $\text{Na}^+/\text{Ca}^{2+}$ exchanger, I_{NaCa} ; L-type Ca^{2+} current, I_{CaL} ; T-type Ca^{2+} current, I_{CaT} ; background Na^+ and Ca^{2+} currents I_{bNa} and I_{bCa} ; hyperpolarization-activated I_f current; and sustained inward current, I_{st} . I_{NaCa} remains the largest inward current during DD until the membrane potential reaches -32.8 mV (i.e., I_{CaL} activation threshold). I_{CaL} is shown truncated. (B) Two sets of superimposed simulations generated for normal and late spontaneous release occurrence (red and blue lines, respectively). When spontaneous release is late, I_{NaCa} is relatively small and DD significantly slows (Slow DD). Each set displays simulated traces of I_{NaCa} , membrane potential, V_m , and the phase of spontaneous Ca^{2+} release, $P_{\text{Phase}}(t)$, as defined by Eq. 3.

membrane potential reaches -32.8 mV (i.e., close to I_{CaL} activation threshold). Importantly, I_{NaCa} behaves very dynamically during DD: it significantly increases as NCX becomes stimulated by Ca^{2+} from spontaneous release. This I_{NaCa} increase results in a significantly faster DD rate (Fig. 8 B, Fast DD) and a higher frequency of AP firing. On the other hand, when spontaneous release is delayed, I_{NaCa} remains relatively small during the early and middle phases of DD, so that the DD rate is significantly slower inasmuch as other inward currents provide only a modest rate of depolarization of the plasma membrane (Fig. 8 B, Slow DD).

DISCUSSION

The present study for the first time provides a numerical approximation of diastolic Ca^{2+} release in SANCs. In contrast to previous models, the new SANC model that includes our Ca^{2+} release scheme reproduces the diastolic Ca^{2+} release (Figs. 3 and 4), ryanodine effect (Fig. 5), and the range of Ca^{2+} changes in the subspace. To our knowledge, this is the first report of absolute Ca^{2+} concentration measurements in the subspace of SANCs. An important result of the study is that the model predicts that NCX can provide a powerful functional link between SR and plasma membrane. Specifically, via NCX the diastolic Ca^{2+} release is able to control the AP upstroke timing and ultimately the final SANC rate in a wide and physiologically important range from 2.5 Hz to 3.8 Hz and from 2.08 Hz to 3.18 Hz, respectively, for the two model parameter sets explored in the study.

At present there is a general consensus about the importance of Ca^{2+} release for SANC rate (Lipsius and Bers, 2003). However, reports vary regarding its significance when compared to other factors contributing to pacemaking, and particularly regarding the magnitude of the ryanodine effect. Importantly, all research groups report some chronotropic effect of ryanodine in all of experimental conditions and preparations including isolated SANC and sinus-node preparations (see Lakatta et al., 2003). The extent of the ryanodine effect varies from a 20% rate decrease to a complete halt of pacemaking. Therefore, an important discussion still remains regarding intracellular Ca^{2+} as a dominant or critical factor for cardiac pacemaker cell dominance (Honjo et al., 2003 versus Lakatta et al., 2003). Part of this variability may be related to cellular heterogeneity within the sinus node, as ryanodine effect might be different within the primary and peripheral SANCs. However, our model is designed to represent the ionic currents present in primary SANCs, and the magnitude of diastolic calcium release was determined directly from localized imaging in the subspace; whole-cell measurements of Ca^{2+} release proteins may not reflect the true activity of the release machinery in this critical location. The subspace imaging combined with numerical modeling here is the first study that directly tested the hypothesis that local subspace Ca^{2+} variations could control the AP rate of a primary sinus node cell that leads the heart beat. We show here that CRDDs can control the SANC rate in a broad physiologically important range, indicating that this Ca^{2+} -related mechanism is viable and can significantly contribute to the final heart rate.

Another important question concerns the pathway of β -adrenergic stimulation in SANCs via either I_f (Bucchi et al., 2003) or NCX (Vinogradova et al., 2002). One concept is that during DD the initial membrane depolarization via I_f and/or other membrane currents reaches the level of T-type (and then L-type) Ca^{2+} channel activation. The Ca^{2+} ions entering the Ca^{2+} channels induce CICR that, in turn, via

NCX accelerates DD. Another concept is that the Ca^{2+} release is intrinsically spontaneous (Lakatta et al., 2003; Vinogradova et al., 2004) and under the control of β -adrenergic receptors; it has its own clock and does not need an initial push from the membrane. Accordingly, the two oscillators (one is in membrane and another is in SR) dynamically interact during the SANC duty cycle producing a variety of chronotropic effects (Lakatta et al., 2003). The present study provides theoretical support for the concept of the interacting oscillators: if such spontaneous (and cyclic) releases occur in SANCs they can effectively control the SANC rate via NCX. It was previously shown that the β -adrenergic stimulation of SANCs increased both the frequency and the amplitude of spontaneous Ca^{2+} release in the subspace (Vinogradova et al., 2002). The stimulatory effect can be analyzed using our series of plots shown in Fig. 7 depicting the model prediction for SANC rate as a function of t_{phase} for various $P_{\text{rel,spont}}$. As t_{phase} is linked to the Ca^{2+} release frequency and $P_{\text{rel,spont}}$ is linked to the Ca^{2+} release amplitude, the model explains/predicts a substantial chronotropic effect of β -adrenergic stimulation apparently via an NCX effect. A further, more detailed analysis of Fig. 7 allows an additional important prediction: that increased amplitude of the release (such as under β -adrenergic stimulation) results in a wider range of rate regulation—for example, from 150 to 226 bpm for $P_{\text{rel,spont}} = 10 \text{ ms}^{-1}$ but from 150 to only 185 bpm for $P_{\text{rel,spont}} = 1.25 \text{ ms}^{-1}$. In other words, regulation via the phase shift of CRDD has limited capacity to alter action potential timing until the release amplitude becomes sufficiently large.

Voltage-independent Ca^{2+} release via RyRs has also been reported in other cardiac cell types (see Lakatta, 1992). For example, steady Ca^{2+} oscillations and Ca^{2+} waves occur in Ca^{2+} -overloaded ventricular myocytes. In cells with increased intracellular $[\text{Ca}^{2+}]$, RyRs stay close to their activation threshold and their activation can presumably be easily provoked, leading to autooscillatory patterns, although the quantitative dynamics of RyR oscillations are by no means understood. In this study we measured a minimum diastolic $[\text{Ca}^{2+}]$ level in SANCs of $\sim 200 \text{ nM}$, twice the diastolic $[\text{Ca}^{2+}]$ level in resting ventricular myocytes. This new finding gives us a basis to speculate that the normal pacemaker SANC activity may have some similar features to the abnormal Ca^{2+} automaticity in Ca^{2+} -overloaded ventricular myocytes.

APPENDIX

Consideration of possible spatial limitations

To approximate Ca_{sub} , we simply averaged local Ca^{2+} signals in subspace (Fig. 3). To justify the additive effect of individual CRDDs with respect to their effect on the plasma membrane potential, we considered possibilities for a nonuniform V_m distribution along the cell surface. The potential spatial heterogeneity may arise from local changes in the membrane ion permeability produced by individual CRDDs (via Ca^{2+} -dependent membrane channels and transporters). Theoretically, on the one hand, the local

electrical charge change (e.g., generated by NCX) would passively propagate toward cell ends (*propagation effect*). On the other hand, the local electric charge can be neutralized by the membrane conductance in its vicinity and thus may never reach the cell ends (*space constant effect*).

Propagation effect

We approximated a SANC as an infinite cable with a diameter $d = 10 \text{ }\mu\text{m}$ and considered its response upon an instant introduction of an excessive electrical charge at $x = 0$ described by a delta function, $\delta(t)$. The solution for the membrane potential $V_m(x, t)$ is an “expanding” and decrementing Gaussian function,

$$V_m(x, t) = \frac{1}{2} \times \sqrt{\frac{\rho \times C}{\pi \times t}} \times \exp\left(\frac{\rho \times x^2 \times C}{4t} - \frac{\sigma \times t}{C}\right),$$

with the width $w(t)$ of the “expanding” Gaussian given as

$$w(t) = \sqrt{\frac{t}{\rho \times C}},$$

where ρ is the resistance of intracellular medium per unit length (Ω/cm), σ is the specific membrane conductance ($\Omega^{-1} \times \text{cm}^{-1}$), and C is the membrane capacitance per unit length (F/cm). The well-known estimates for specific membrane capacitance and resistivity of intracellular medium are $C_s = 1 \text{ }\mu\text{F}/\text{cm}^2 = 10^{-6} \text{ F}/\text{cm}^2$ and $R_i = 200 \text{ }\Omega \times \text{cm}$, respectively. Accordingly,

$$\begin{aligned} \rho &= R_i/S = 4 \times R_i/(\pi \times d^2) = 4 \times 200/(3.14 \times 10^{-6}) \\ &= 2.6 \times 10^8 \text{ }\Omega/\text{cm}, \end{aligned}$$

where S is the cell cross-section area, and

$$C = \pi \times d \times C_s = 3.14 \times 10^{-3} \times 10^{-6} = 3.14 \times 10^{-9} \text{ F}/\text{cm}.$$

Finally,

$$\begin{aligned} w(t) &= \sqrt{\frac{t}{\rho \times C}} = \sqrt{\frac{t}{2.6 \times 10^8 \text{ }\Omega/\text{cm} \times 3.14 \times 10^{-9} \text{ F}/\text{cm}}} \\ &\approx 1.1 \text{ cm} \sqrt{t}, \end{aligned}$$

where t is given in seconds. It means that after 1 ms the “expanding” Gaussian width w could reach the distance of $1.1 \text{ cm} \times \sqrt{0.001} = 0.0348 \text{ cm} = 348 \text{ }\mu\text{m}$. On the other hand, the Gaussian width will reach the cell ends (for a cell length $L_{\text{cell}} = 100 \text{ }\mu\text{m}$) from its center after $t = 0.83 \text{ w}^2 = 0.83 \text{ s}/\text{cm}^2 \times (5 \times 10^{-3} \text{ cm})^2 \approx 20.8 \text{ }\mu\text{s}$. This means that the passive V_m propagation occurs almost instantly along the electric cable approximating the cell membrane.

Spatial effect: estimation for the space constant, λ

We used a well-known formula for a cable space constant $\lambda = \sqrt{r_m/\rho}$,

where r_m is membrane resistance per unit length in the voltage range of DD. We estimated the total cell membrane resistance R_{tot} from the Kurata et al. (2002) model as the ratio $\delta V_m/\delta I_{\text{total}}$, where $\delta V_m = 1 \text{ mV}$ is an instant change of V_m induced by a switch to the voltage-clamp during DD and δI_{total} is the total membrane current change as the response to that change. We found that minimum R_{tot} is $0.25 \text{ G}\Omega$ in the range of DD from -40 mV to -20 mV . Accordingly,

$$\begin{aligned} r_m &= R_{\text{tot}} \times L_{\text{cell}} = 0.25 \times 10^9 \text{ }\Omega \times 0.007 \text{ cm} \\ &= 1.75 \times 10^6 \text{ }\Omega \times \text{cm}, \end{aligned}$$

and

$$\lambda = \sqrt{\frac{r_m}{\rho}} = \sqrt{\frac{1.75 \times 10^6 \Omega \times \text{cm}}{2.6 \times 10^8 \Omega/\text{cm}}} = 0.082 \text{ cm} = 820 \mu\text{m},$$

which is still much longer than the SANC length ($L_{\text{cell}} = 70 \mu\text{m}$ in the Kurata model). We conclude that the electrical effect of individual CRDD will be distributed instantaneously and uniformly over the surface membrane.

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